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Weyl Type Theorems for Polaroid Operators *

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Abstract: This paper concerns two variants of Weyl's theorem, for bounded linear operators defined on Banach spaces, the property (w) and the property (b). We study the relationship between these two property in the framework of polaroid and a-polaroid operators.

Key words: Weyl's theorems, property (w), property (b), SVEP.

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